

## Locus Construction (I)

- 1) In the applet below, plot a point  $C$  that lies on line  $d$ .
- 2) Construct  $\overline{CF}$ .
- 3) Construct the perpendicular bisector of  $\overline{CF}$ .
- 4) Construct a line through  $C$  that's perpendicular to  $d$ .
- 5) Construct the point of intersection of the lines you've constructed in (3) & (4) above.
- 6) Right click on this point you've constructed in (5). Select **Trace On**.
- 7) Now, select the **Move** arrow and drag point  $C$  along line  $d$ . What do the traces of  $D$  look like? Explain.
  
- 8) Clear your trace now. Measure and display the distances  $FD$  and  $DC$ . What do you notice?
- 9) Once again, drag point  $C$  along line  $d$ . What do you notice about  $FD$  and  $DC$ ?
  
- 10) What previous theorem justifies the phenomena you've observed in (9) to be true? (Don't just "name it". *Write it out in words!*)
  
- 11) How would you define the pink locus (set of points that meet a certain condition) in the applet below? That is, how can you *geometrically* define the term you wrote as a response to (7) above?